

# Atmospheric Modelling of Greenhouse Gases [GHGs]

Luke Surl, Paul Palmer

National Centre for Earth Observation, University of Edinburgh



#### **Overview**

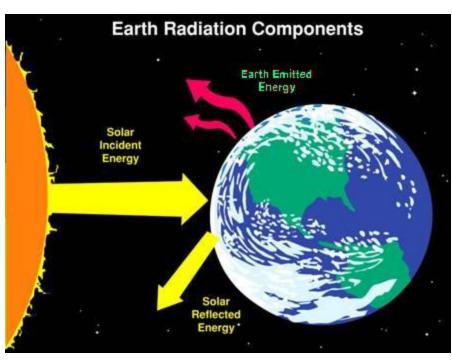
- Motivation: why do GHGs matter?
- Measurements: what do measurements tell us about the behaviour of GHGs
- Modelling: What is GHG modelling and what can it tell us?

Mostly CO₂, some CH₄ and general trace gas modelling



#### Radiation balance of the Earth

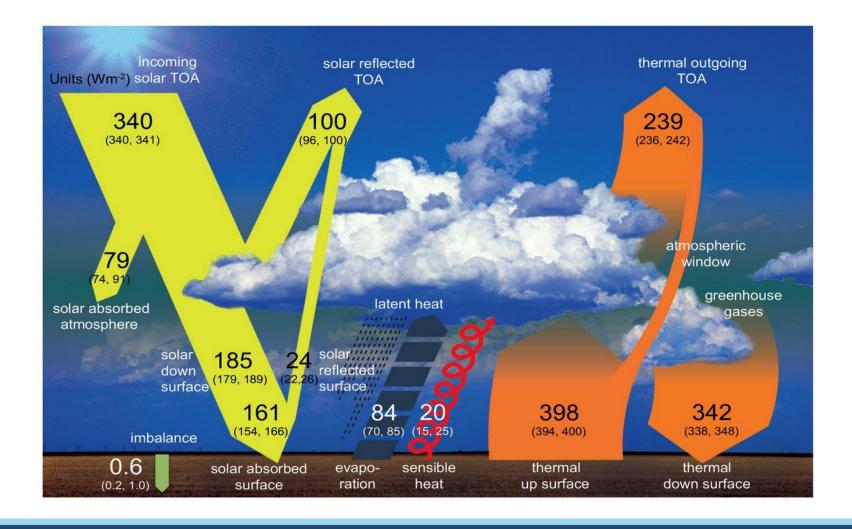
- Earth *must* emit as much energy as it receives from the sun
- Some is reflected, rest is adsorbed
- For Mars, this well-predicts the temperature
  - But it suggests Earth would have average temp of -18C
  - It's warmer! (15C)







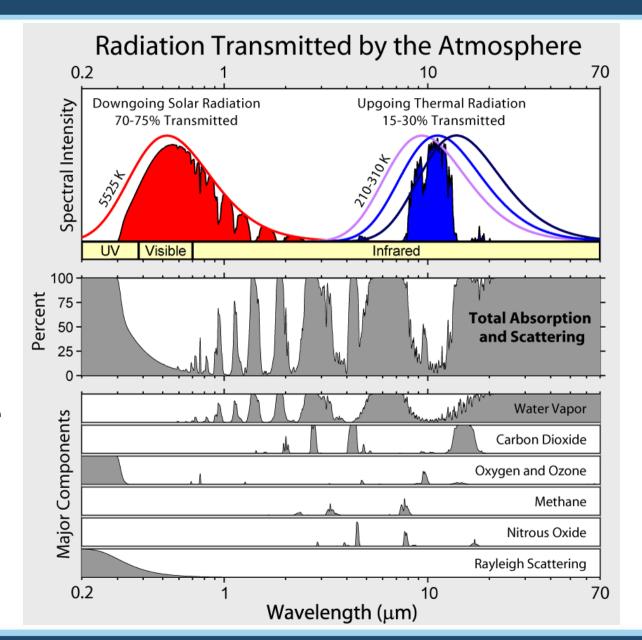
#### Radiation balance of the Earth





## Radiation balance of the Earth

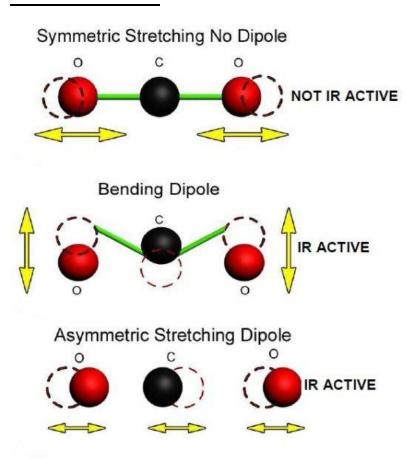
- Earth is colder than the sun
- Different wavelengths of radiation
- Different gases adsorb the radiation coming in as going out!
  - GHGs let radiation in, but block it leaving







## Why do some gases adsorb in the IR and not others?



- *IR active* if vibration changes the electrostatic dipole moment of the molecule.
- Two different ways of vibrating a CO2 molecule do this
- Impossible to do this for O<sub>2</sub>,
   N<sub>2</sub>.





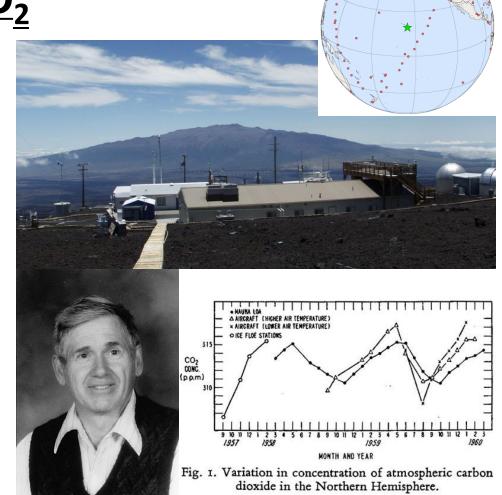
#### **Measuring GHGs**

- It should come as a surprise that we have only measured GHGs since the late 1950s.
- The link between GHGs and climate is now well established so that GHGs are a political issue.
- Consequently, we are only just getting to grips with issues that should have been addressed decades ago.



#### **Measuring Atmospheric CO<sub>2</sub>**

- Best, longest term record (1950s) is from the Mauna Loa observatory in Hawaii
- Charles Keeling discovered:
  - A seasonal cycle
  - Long-term increase

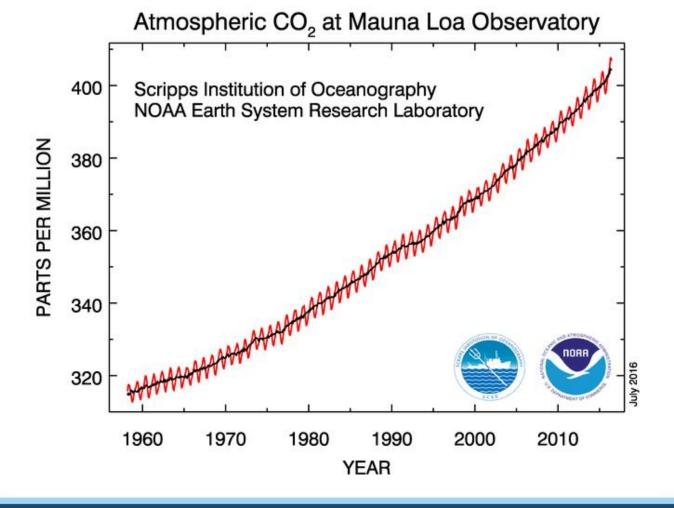


Tellus XII (1960), 2



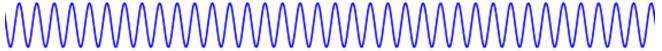
#### **Measuring Atmospheric CO<sub>2</sub>**

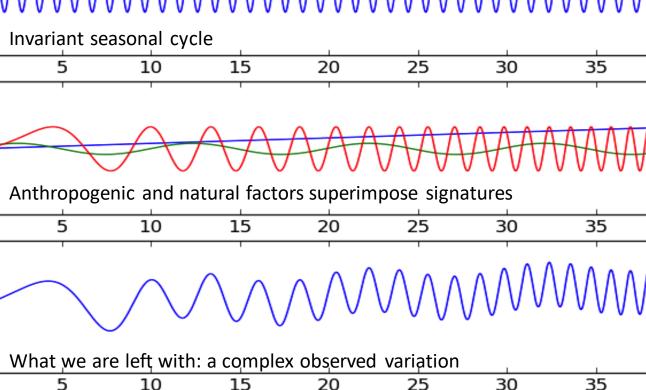
- A zeroth order model:
  - An annual linear increase (fossil fuel combustion) superimposed with a sinusoid (land and ocean biosphere)





#### **Superimposed signatures**

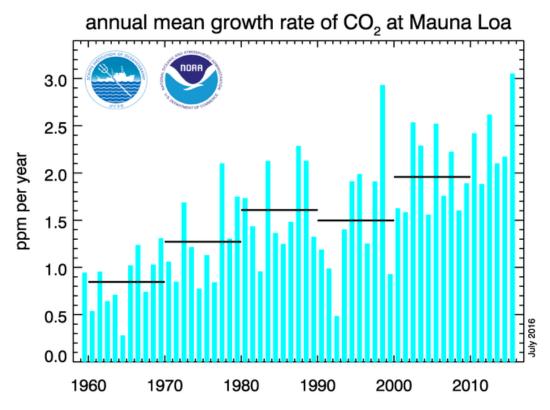




Time [unit]



## Year-on-year rise of atmospheric CO<sub>2</sub>



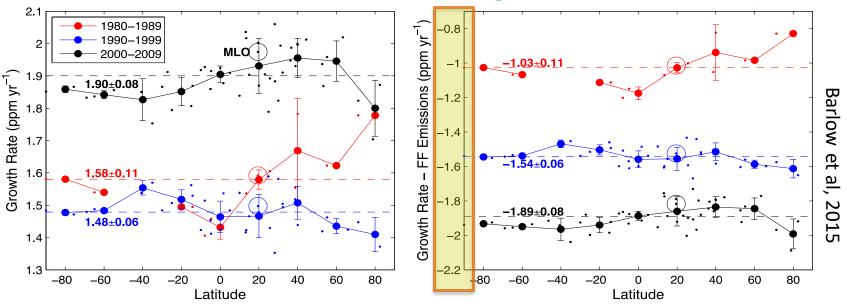
- Every year the average mixing ratio of CO2 increases
- However this is less than what we'd expect from adding up all the carbon we burn



## Year-on-year rise of atmospheric CO<sub>2</sub>

Net Carbon Flux to Atmosphere

Net Natural Carbon Flux to atmosphere (growth rate – FF emissions)

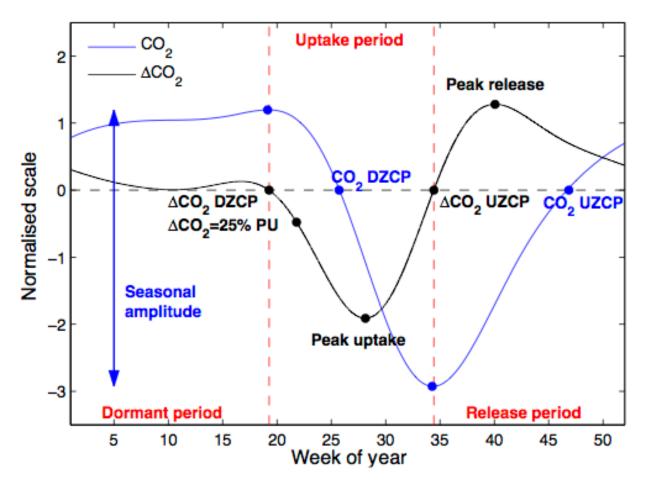


Over the past 50 years approximately  $44.1\pm14.4\%$  of emitted  $CO_2$  (inc. fossil fuel and LUC) has stayed in the atmosphere: the natural biosphere appears to respond to increasing atmospheric  $CO_2$ .





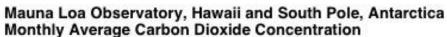
#### **Seasonality of atmospheric CO<sub>2</sub>**

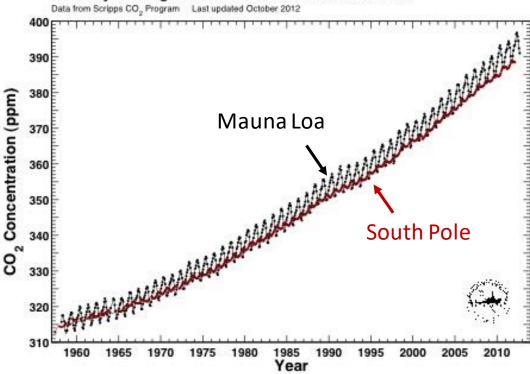


- CO2 taken out of atmosphere during (Northern Hemisphere) Spring/summer by plants (biosphere)
- In autumn this reverses.



## **Seasonality of atmospheric CO<sub>2</sub>**



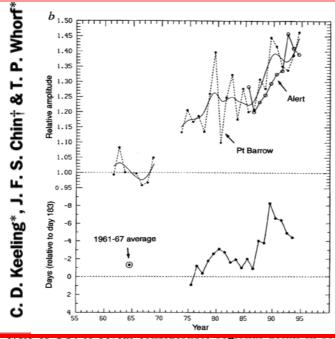


Same happens in Southern
 Hemisphere (6 months out of
 phase), but less intense as
 there's less biomass.



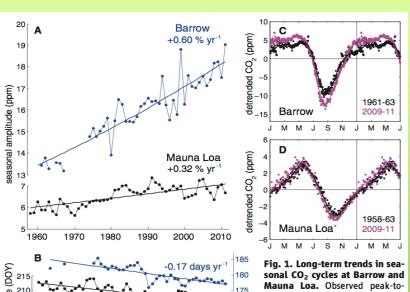
#### Changes in seasonality of atmospheric CO<sub>2</sub>

 $\sigma$ S reate



plant activity<sup>6</sup>. Here we report that the annual amplitude of the seasonal CO<sub>2</sub> cycle has increased by 20%, as measured in Hawaii, and by 40% in the Arctic, since the early 1960s. These increases are accompanied by phase advances of about 7 days during the declining phase of the cycle, suggesting a lengthening of the growing season. In addition, the annual amplitudes show maxima which appear to reflect a sensitivity to global warming episodes that peaked in 1981 and 1990. We propose that the amplitude increases reflect increasing assimilation of CO<sub>2</sub> by land plants in response to climate changes accompanying recent rapid increases in temperature.

# Earlier Spring



sonal CO<sub>2</sub> cycles at Barrow and Mauna Loa. Observed peak-to-trough seasonal amplitude (A) and phase (B), given by the day of year of downward zero crossing, of CO<sub>2</sub> concentration at Barrow (71°N, blue)

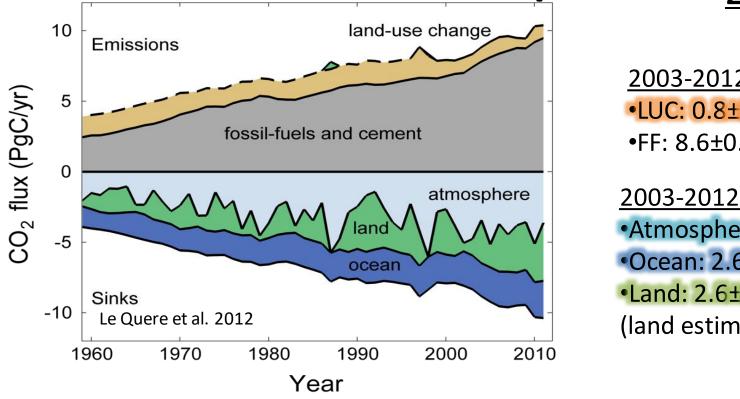
and Mauna Loa (20°N, black) measured by the Scripps  $CO_2$  Program (7, 8) and the NOAA Global Monitoring Division (9). Growth rate of amplitude is given in percentage change per year, with 1 SD uncertainty of  $\pm 0.05$  to 0.07% year<sup>-1</sup>. Seasonal  $CO_2$  cycles observed at Barrow (C) and Mauna Loa (D) for the 1961 to 1963 or 1958 to 1963 and 2009 to 2011 time periods. The first 6 months of the year are repeated.

2000

Graven et al, 2013



Sources and sinks of atmospheric CO<sub>2</sub>



2003-2012 Sources (PgC/yr)

•LUC: 0.8±0.5 (9%)

•FF: 8.6±0.4 (91%)

2003-2012 Sinks (PgC/yr)

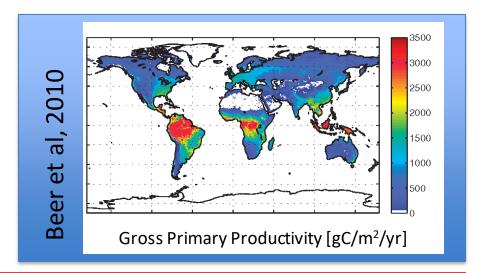
- •Atmosphere: 4.3±0.1(45%)
- •Ocean: 2.6±0.5 (27%)
- •Land: 2.6±0.8 PgC/yr (28%)

(land estimate residual)

- What natural processes absorb half of the CO<sub>2</sub> emitted by human activities?
- Why does the amount of CO<sub>2</sub> absorbed change from year to year?
- Will this change in the future, as the climate changes?



#### How do we know what we know?



Highest CO<sub>2</sub> emitting power plants in the world

carma.org

Icons Explained

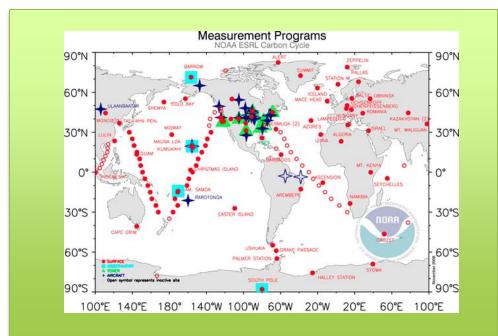
Red Alerts
A large red circle indicates that a plant produces a lot of electricity and a lot of CO2.

Clean & Green
A large green circle indicates that a plant produces a lot of electricity and a lot of CO2.

Clean & Green
A large green circle indicates that a plant produces a lot of electricity and almost no CO2.

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Outcome: For CO<sub>2</sub> we have an incomplete understanding of regional fluxes.
Situation worse for CH<sub>4</sub> and N<sub>2</sub>O.



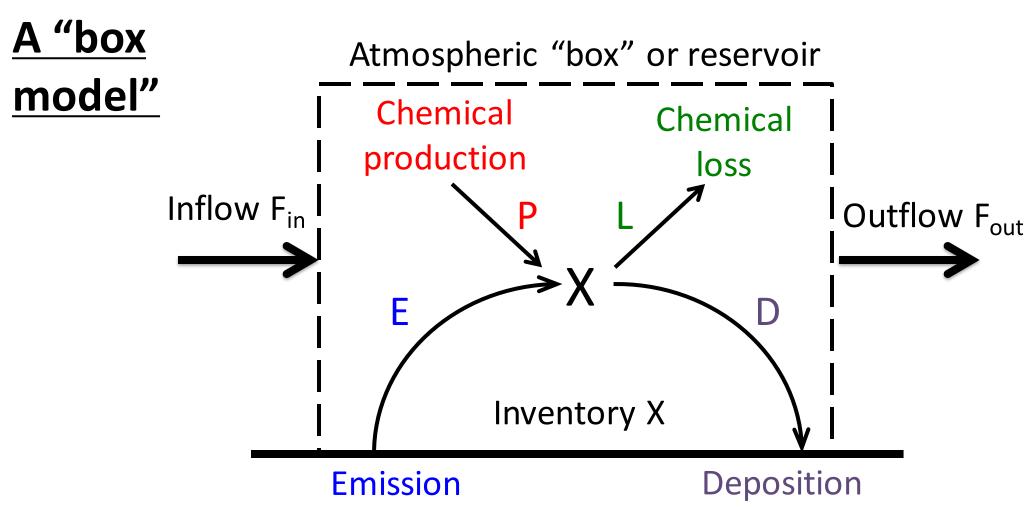
#### Models

- One definition:
  - A model is a framework (typically mathematical) that tests scientific understanding through its ability to explain data.
  - It should be sufficiently simple that it can, in principle, be rejected (and refined) with data.
  - A predictive capability is developed through this refinement process.

Interesting articles:

DOI: http://dx.doi.org/10.1175/BAMS-D-13-00080.1 DOI: http://dx.doi.org/10.1016/j.cell.2008.07.033

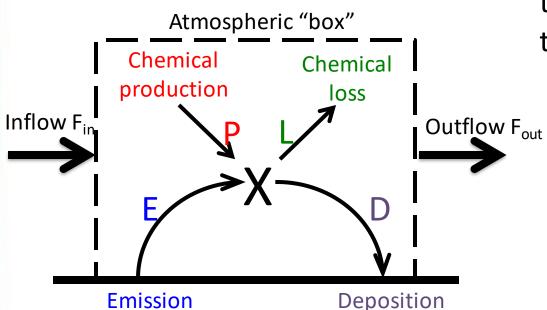




Does not resolve spatial distributions: assume box is well mixed



#### "Lifetime" of a molecule



The lifetime t of X in the box: average time that a molecule of X remains in that box.

$$t = \frac{m}{F_{out} + L + D}$$

$$\text{Losses}_{(kg.s^{-1})}$$

Often called the *residence time* when the loss is a physical process (e.g., F<sub>out</sub> or D)



#### "Lifetime of a molecule"

We're often interested in the relative importance of each loss term

Fraction f the box

removed by 
$$f = \frac{F_{out}}{F_{out} + L + D}$$
 the box

Sink-specific lifetimes, e.g.,  $t_{out} =$ lifetime against export

$$t_{out} = \frac{m}{F_{out}}$$

<u>Total lifetime</u> is calculated in parallel:

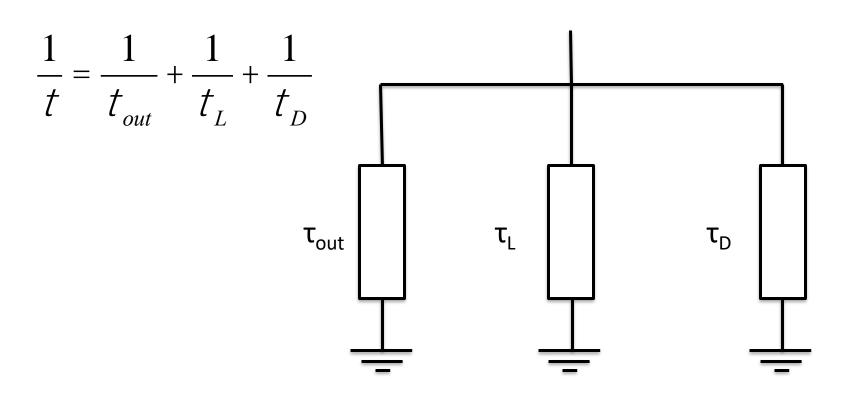
$$\frac{1}{t} = \frac{1}{t_{out}} + \frac{1}{t_L} + \frac{1}{t_D}$$

These are considered *first order* losses: the more you have the more you can lose.





#### **Resistor model for losses**





#### **Chemical lifetime**

Consider a first-order chemical loss for X with rate constant k<sub>c</sub>

Chemical loss rate is:  $L = k_c m$ 

$$\tau_c = \frac{m}{L} = \frac{m}{k_c m} = \frac{1}{k_c} \longrightarrow k_c = \frac{1}{\tau_c} \qquad t_c = \frac{m}{L} = \frac{1}{k_c}$$



#### Generalise!

$$F_{out} + L + D = (k_{out}m + k_Lm + k_Dm) = k_{all}m$$

$$au_{all} = rac{1}{k_{all}}$$

 $(k_{all}, \tau_{all})$  normal written as simply  $k, \tau$ 

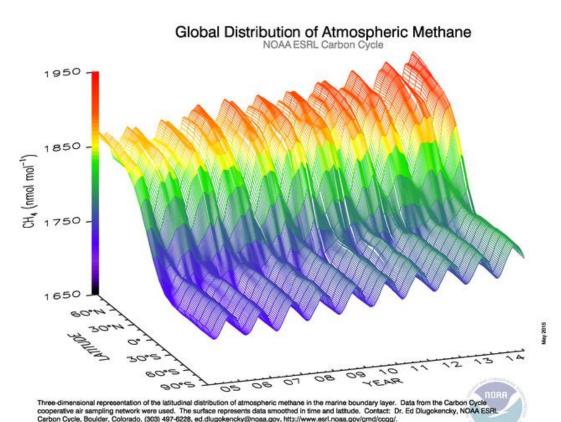


#### Lifetime of atmospheric CH<sub>4</sub>

- Lifetime against sinks include:
  - Hydroxyl radical (OH): 9.6 years
  - Soils: 160 years
  - Stratospheric sinks: 120 years
- These sinks are acting in parallel
- Net lifetime =  $\frac{1}{\frac{1}{9.6} + \frac{1}{160} + \frac{1}{120}}$  = 8.4 years.
- Much shorter than CO<sub>2</sub>, resulting in larger interhemispheric gradients



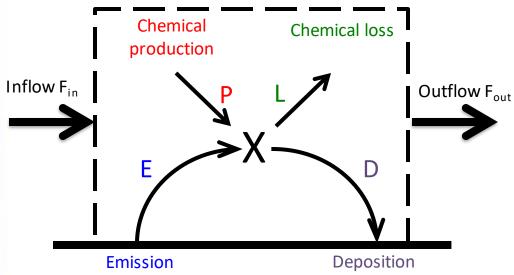
#### Mixing ratios of atmospheric CH<sub>4</sub>



- The "magic carpet"
- More production of CH4 in northern hemisphere.
- Losses greatest in summers



What is the rate of change of the mass of X in the box?



$$\frac{dm}{dt} = \sum \text{sources} - \sum \text{sinks}$$

$$= (F_{in} + E + P) - (F_{out} + L + D)$$

$$= S - km$$

Where overall source rate  $S = F_{in} + E + P$ 



$$\frac{dm}{dt} = S - km$$

$$\frac{dm}{S - km} = dt$$

$$(-\frac{1}{k})\ln(S - km)|_0^T = t|_0^T$$

$$\downarrow$$

$$(-\frac{1}{k})\ln(\frac{S - km(T)}{S - km(0)}) = T$$

$$m(T) = m(0)e^{-kT} + \frac{S}{k}(1 - e^{-kT})$$



$$m(T) = m(0)e^{-kT} + \frac{S}{k}(1 - e^{-kT})$$

transition

If 
$$T = 0$$

$$m = m(0)$$

Initial conditions

If T = "very large"

$$m = \frac{S}{k}$$

Steady-state, Gains = losses



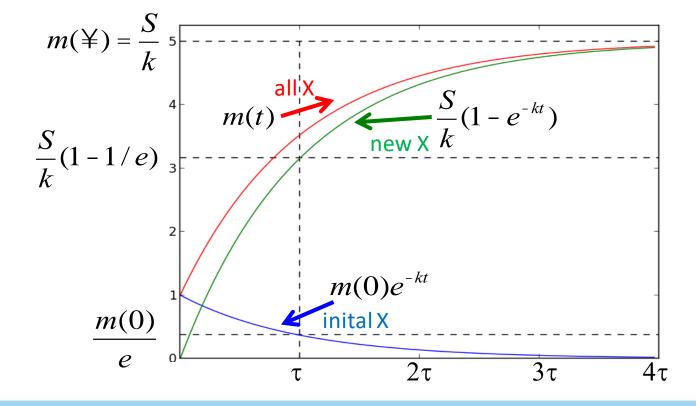
$$m(T) = m(0)e^{-kT} + \frac{S}{k}(1 - e^{-kT})$$
If  $T = 1/k = \tau$ 

$$m = m(0)e^{-1} + \frac{S}{k}(1 - e^{-1})$$

- the first term has decayed to 37% and the second term has reached 63% of its final value...
- τ is a useful *characteristic time* sometimes called the e-folding lifetime



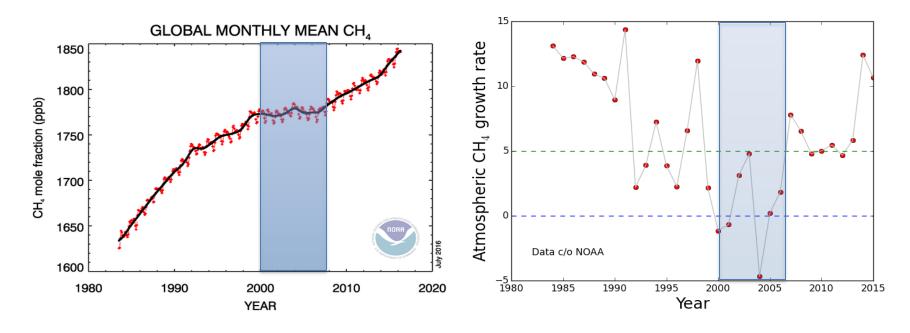
$$m(t) = m(0)e^{-kt} + \frac{S}{k}(1 - e^{-kt})$$



- On time scales >> τ steady state can be assumed
  - e.g. For OH, τ < second, so measurements basically tell us the current S/k balance
- If mass stable, suggests sources=sinks



#### Mass balance of CH<sub>4</sub> on earth



- dC/dt  $\approx$  0 does NOT mean that that sources are not still active. It means that P  $\approx$  L.
- For CH4 we do not know with certainty why the growth rate slowed down in 2000 or why it resumed after 2007.



#### Moving beyond the box model

- Broadly, there are two types of atmospheric models:
  - Eularian models have a fixed grid of multiple boxes. In time, air (and it's components!) moves from box to box.
  - Lagrangian models have boxes that move in space, following a parcel of air.

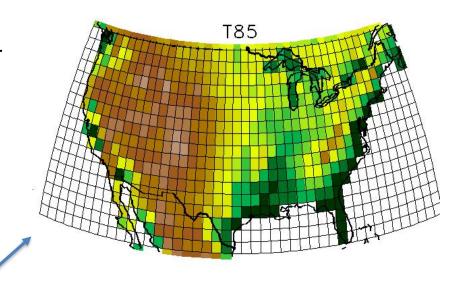


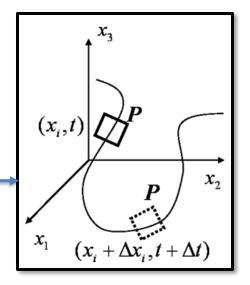
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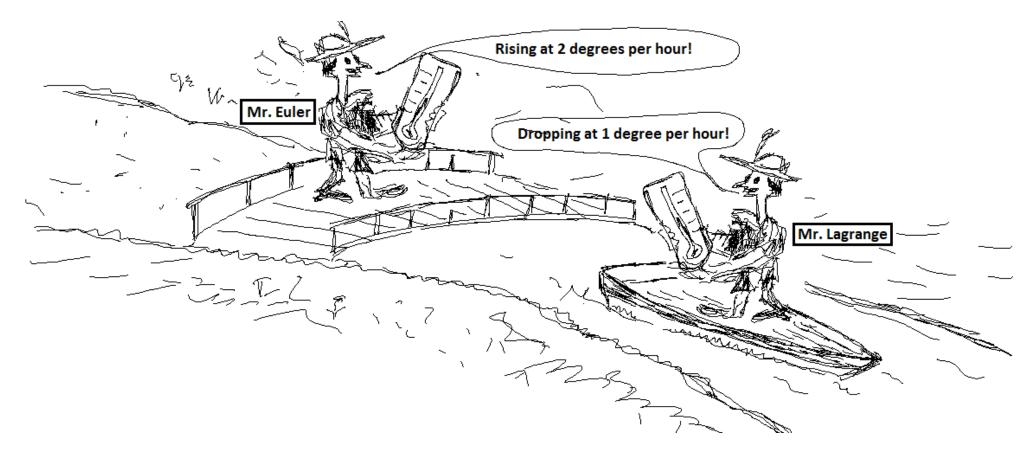
Lagrangian models have boxes that move in space, following a parcel of air.







#### Lagrangian vs. Eularian

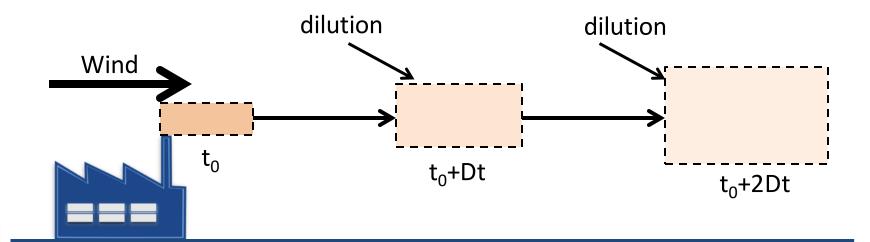


flowillustrator.com



#### **Puff model**

Follow a volume of air (usually an interesting one!), and include terms in the model to account for dilution from the surrounding air as it travels downwind.



Mass balance
equation same as
the box model but
given in terms of
concentration
rather than mass
so the size of the
puff is kept
arbitrary.

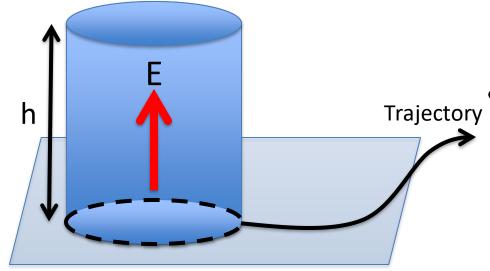
$$\frac{d}{dt}[X] = E + P - L - D - k_{dil}([X] - [X]_b)$$

k<sub>dil</sub> (/s) is a dilution rate constant

• Used to follow evolution of isolated pollution plume (e.g., landfill).



### **Column model**



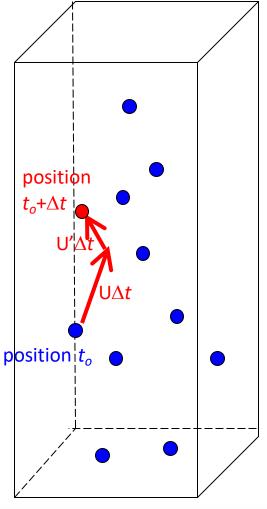
$$\frac{d}{dt}[X] = \frac{E}{h} + P - L - D$$

- Column is "blown" across the surface, picking up flux E of species (in units kg.m<sup>-2</sup>.s<sup>-1</sup>)
  - Assume well mixed over height h (in m).
    - This height might vary over time/space
    - More sophisticated models may multiple layers with interchange
- Frequently used to simulate air pollution over and downwind of cities.





## Lagrangian



- Transport large number of points with trajectories from input meteorological data base (U) + random turbulent component (U') over time steps  $\Delta t$
- Points have mass but no volume
- Determine local concentrations as the number of points within a given volume

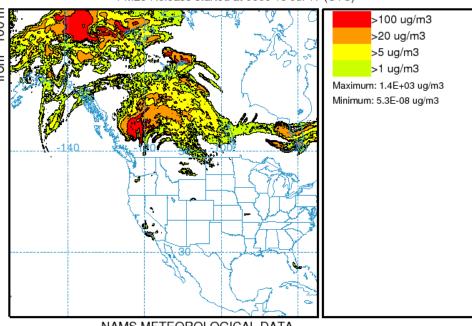


# Lagrangian pros and cons

- PROS over Eulerian models:
  - no Courant number restrictions (restriction on time step length required for good results)
  - no numerical diffusion/dispersion
  - easily track air parcel histories
  - invertible with respect to time
- CONS:
  - need very large # points for statistics
  - inhomogeneous representation of domain
  - convection is poorly represented
  - nonlinear chemistry is problematic

#### ARL/NESDIS EXPERIMENTAL SMOKE FORECAST

Air Concentration (ug/m3) Layer Average 0 m and 5000 m Integrated from 0600 15 Jul to 0700 15 Jul 17 (UTC) PM25 Release started at 0600 15 Jul 17 (UTC)



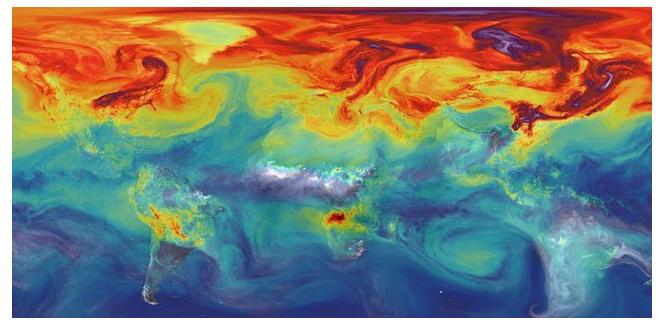
NAMS METEOROLOGICAL DATA





# Going global...

 With computers doing the maths, we can do reasonable simulations of the atmospheric chemistry of large regions, or even the whole world!

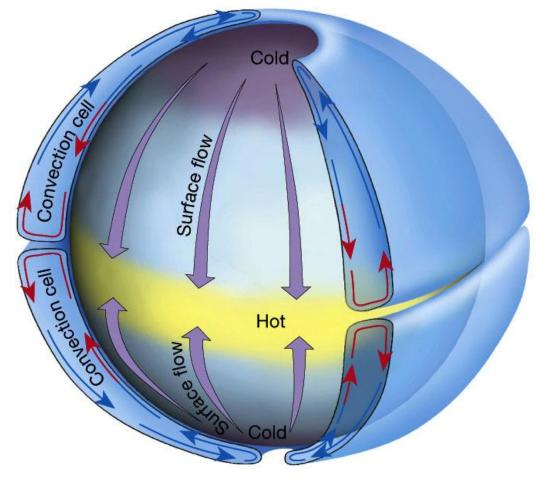


NASA simulation of carbon dioxide mixing ratios



## **Atmospheric motion**

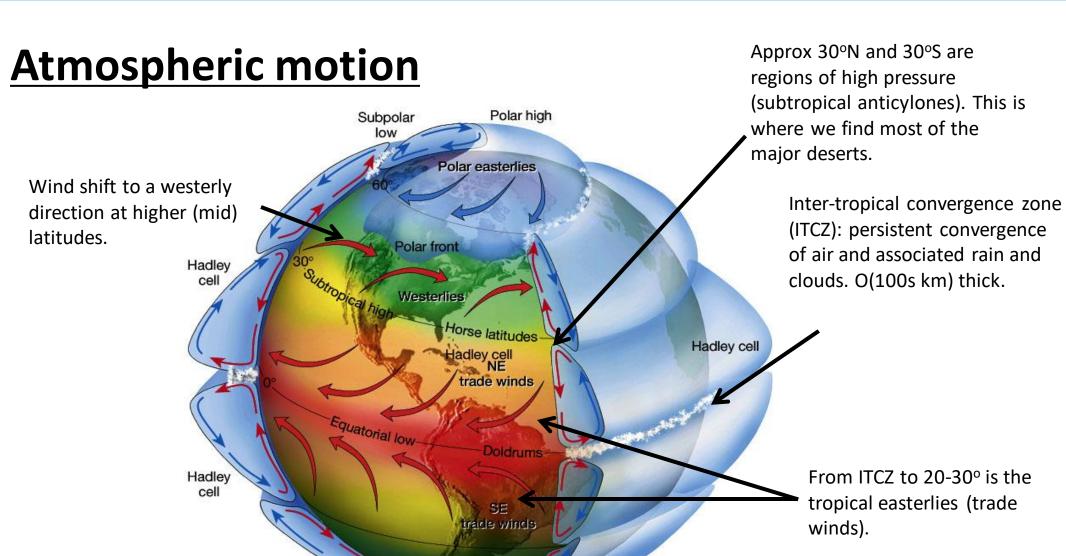
 If the earth didn't rotate, the equator being hotter than the poles would be the main driving force.



Non-rotating earth

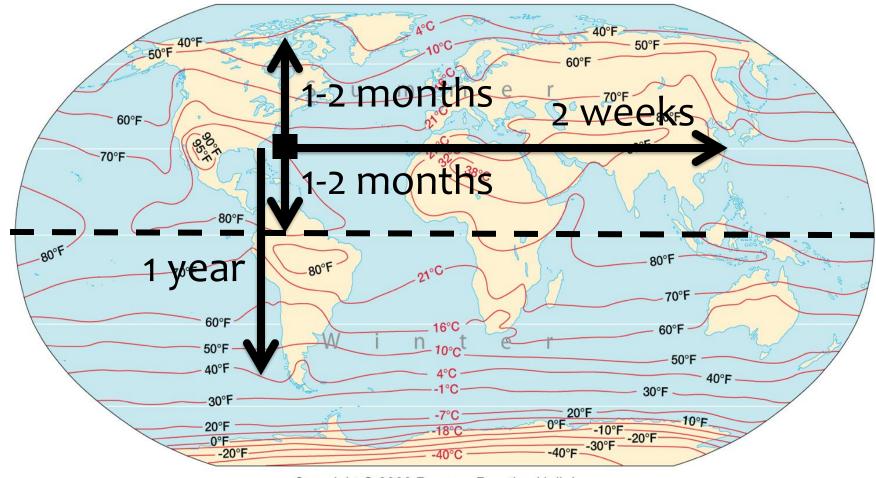








## **Horizontal transport**



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# **Vertical transport**

- Vertical transport due to horizontal divergence or convergence is 1mm-1cm per s (cf 1-10 m/s for horizontal).
- Timescales from surface to tropopause about 3 months.
- Local buoyancy can result in faster transport, e.g. fires
- Boundary layer mixing can be very fast
- Models typically assume BL mixing is instantaneous

#### Depiction of various surfaces and PBL processes

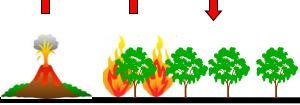




Solve continuity equation for mixing ratios  $C_i(\mathbf{x}, t)$ 

**Transport** 





**Fires** 

Volcanoes

Land biosphere

Human activity Movement to/from other boxes which might have more/less X

Eulerian form:

$$\frac{\partial C_i}{\partial t} = \left[ -\mathbf{U} \cdot \nabla C_i + P_i - L_i \right]$$

Lagrangian form:

$$\frac{dC_i}{dt} = P_i - L_i$$

**U** = wind vector

 $P_i$  = local source of chemical i

 $L_i$  = local sink

New X added/created in in box box

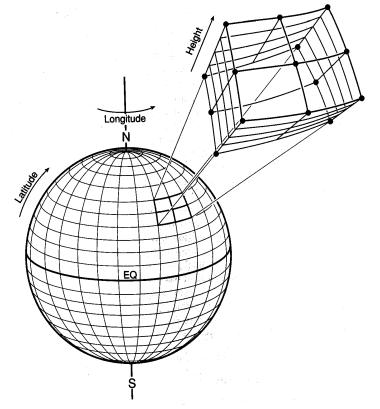
X removed/destroyed

Ocean

Slide c/o D. Jacob



### **Modelling in 4D**



- Solve continuity equation for individual gridboxes
- MANY calculations
  - More if smaller boxes (for more detailed results) wanted.
  - Current global models have a horizontal resolution of ~ 0.25° (~25 km) and a vertical resolution of 100s m.
- © Chemical Transport Models (CTMs) use external meteorological data as input
- © General Circulation Models (GCMs) compute their own meteorological fields



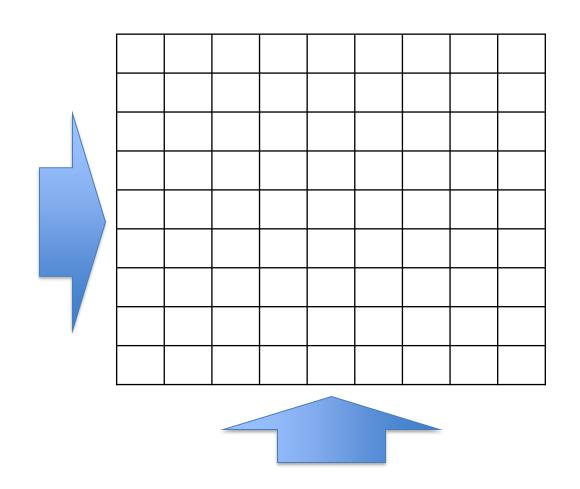
### Time steps

- Models divide time into discreet <u>time steps</u>
- Calculate changes in modelled parameters from one time step to next
  - "Temporal discretization"
- As with space, shorter time steps can give more detailed results and higher performance, but require more computational resources.



### **Boundary conditions**

- For a regional grid, can't ignore winds blow in air from outside the model domain
- Need boundary conditions
  - From another model
  - A decent guess!





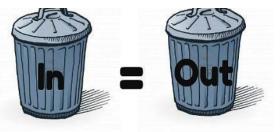
### **Flux inventories**





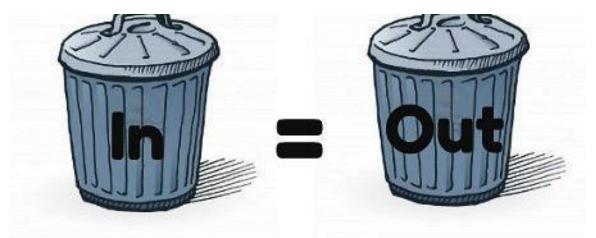








# Garbage in, garbage out



A model is only as good as its inputs!



# **Movie**

• https://svs.gsfc.nasa.gov/11719



### **Interactive exercise**

- Python-based exercise
  - Code provided, no prior experience needed!
- Model of e-folding lifetimes
- Simple balances of sources and sinks
- Models vs. real world data
- Source apportionment in a 3D model
- Basics of inverse modelling